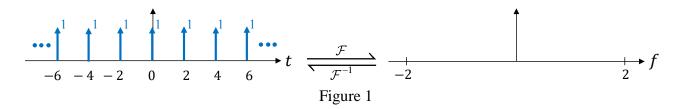
- 1. Separate into groups of no more than three students each.
- 2. Explanation is not required for this exercise [ENRE]
- 3. Do not panic.

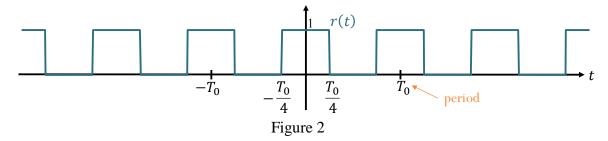
Date: / / 2019			
Name	ID) (last 3 d	igits)

1. Consider the impulse train g(t) shown on the left in

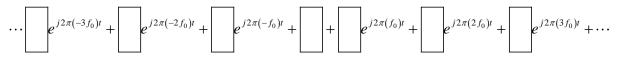
Figure 1. Plot its Fourier transform G(f) from f = -2 to f = 2.



2. Consider the rectangular pulse train r(t) shown in Figure 2.

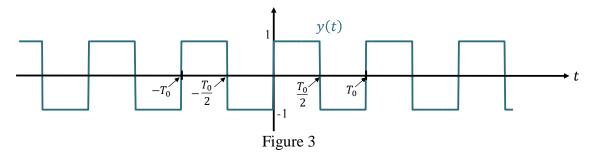


Using Fourier series expansion, we can write r(t) in the form



where $f_0 = \frac{1}{T_0}$. Write the appropriate Fourier coefficients in the boxes above.

3. Consider the rectangular pulse train y(t) shown in Figure 3.



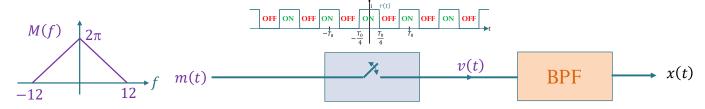
Compare with Figure 2. Observe that $y(t) = \alpha + \beta r(t - \gamma T_0)$. Find the constants α , β , and γ .

$$\alpha = \underline{\hspace{1cm}}, \beta = \underline{\hspace{1cm}}, \gamma = \underline{\hspace{1cm}}$$

- Separate into groups of no more than three students each. The group cannot be the same as any of your former groups after the midterm.
- 2. [ENRE] Explanation is not required for this exercise.
- 3. Do not panic.

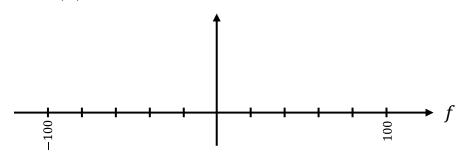
Date: / / 2019			
Name	ID	(last 3 d	ligits)

1. M(f) is plotted on the left below. Consider a switching modulator:



The switching box is operating at frequency 30 Hz with duty cycle 50%.

a. Plot V(f)



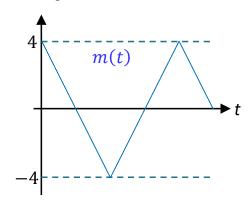
b. Plot X(f) when the frequency response of the BPF is $H(f) = \begin{cases} 3, & |f - 30| \le 14, \\ 3, & |f + 30| \le 14, \\ 0, & \text{otherwise.} \end{cases}$

c. Plot X(f) when the frequency response of the BPF is $H(f) = \begin{cases} 4, & |f - 33| \le 3, \\ 4, & |f + 33| \le 3, \\ 0, & \text{otherwise.} \end{cases}$

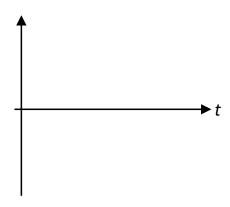
- Separate into groups of no more than three students each. The group cannot be the same as any of your former groups after the midterm.
- [ENRE] Explanation is not required for this exercise.
- 3. Do not panic.

Date: / / 2019			
Name	II) (last 3 o	fligits)

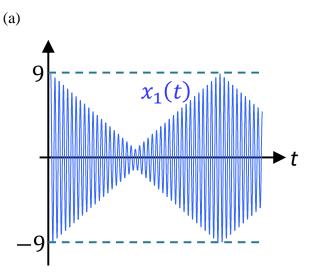
Consider an AM transmission of the message m(t) shown below:

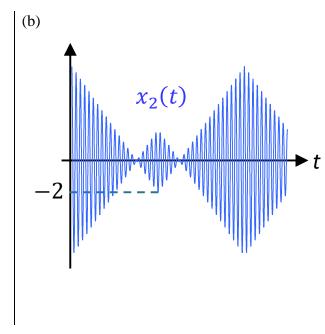


1. Assume that the carrier frequency f_c is large (enough). Plot the corresponding AM signal $x_{AM}(t)$ when the modulation index is 40%



2. In each part below, the AM signal is plotted. Determine the modulation index used in each case.





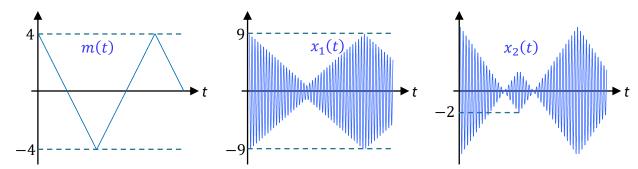
ECS 332: In-Class Exercise # 14

Instructions

- 1. Separate into groups of no more than three students each. The group cannot be the same as any of your former groups after the midterm.
- Write down all the steps that you have done to obtain your answers. You may not get full credit even when your answer is correct without showing how you get your answer.
- 3. Do not panic.

Date:// 2019			
Name	ID	(last 3 d	ligits)

1. Continue from the previous in-class exercise. We considered AM transmission of the message m(t)shown on the left below.



The middle and the rightmost plots show two AM signals $x_1(t)$ and $x_2(t)$ produced by using two different values of modulation index. During the previous in-class exercise, we have calculated the values of A and μ . They are summarized in the table below.

Suppose m(t) is a periodic triangular wave with average power $\langle m^2(t) \rangle = \frac{16}{3}$.

Calculate the corresponding value of the power efficiency for each case.

$x_{AM}(t)$	A	μ	Power Efficiency
$x_1(t)$	5	80%	
$x_2(t)$	2	200%	

2. [ENRPr] Consider a rectifier demodulator shown below:



Rectifier Demodulator

Assume that m(t) has 0 average and that it is band-limited to B = 5 kHz.

The frequency response of the LPF is $H_{LPF}(f) = \begin{cases} g, & |f| \leq B, \\ 0, & \text{otherwise.} \end{cases}$

Assume that $m(t) \ge -4$ at all time.

Find the value of the gain g which makes $\hat{m}(t) = m(t)$:

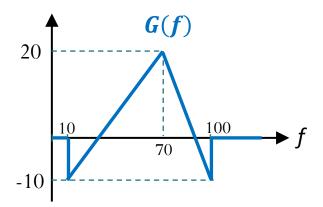
$$g =$$

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- Write down all the steps that you have done to obtain your answers. You may not get full credit even when your answer is correct without showing how you get your answer.

3.	Do	not	panic.

Date: / / 2019			
Name	I	(last 3 d	ligits)

1. Find the bandwidth (BW) values for the signal below. Note that the signal is even and real-valued in both domains and therefore we show only the positivefrequency side.



Absolute BW =	Null-to-null BW =	

3-dB BW (half-power BW) =

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- 2. ENRE (Explanation is not required for this exercise.)
- 3. Do not panic.

Date: <u>0</u> <u>1</u> / <u>1</u> <u>1</u> / 2019			
Name	ID	(last 3 c	igits)

1. In QAM system, the transmitted signal is of the form

$$x_{\text{QAM}}(t) = m_1(t)\sqrt{2}\cos(2\pi f_c t) + m_2(t)\sqrt{2}\sin(2\pi f_c t).$$

Here, we want to express $x_{OAM}(t)$ in the form

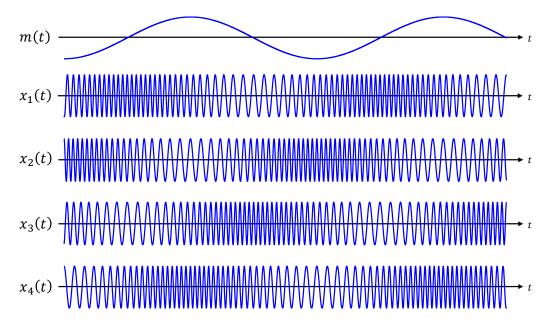
$$x_{\text{QAM}}(t) = \sqrt{2}E(t)\cos(2\pi f_c t + \phi(t)),$$

where $E(t) \ge 0$ and $\phi(t) \in (-180^{\circ}, 180^{\circ}]$.

This problem assumes the messages are piecewise constant. Their values during three time intervals are listed below. Find the values of E(t) and $\phi(t)$ during the corresponding time intervals.

Intervals	$m_1(t)$	$m_2(t)$	E(t)	$\phi(t)$
$0 \le t < 1$	-1	-1		
$1 \le t < 2$	0	5		
$2 \le t < 3$	-3	4		

2. Consider five plots below. The top one is the baseband message signal m(t) that is used in the modulation to create an FM signal. Identify which plot is $x_{\text{FM}}(t)$.

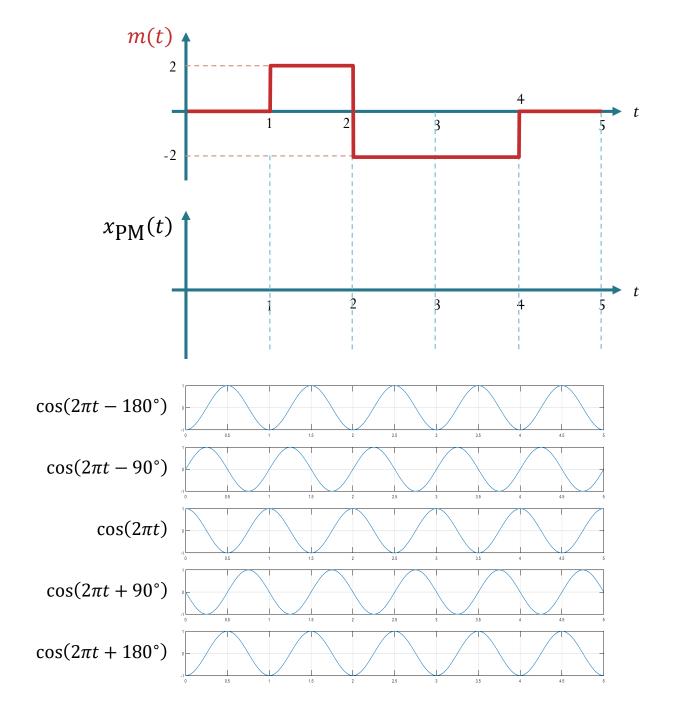


 $x_{\rm FM}(t)$:_____

- Separate into groups of no more than three students each. The group cannot be the same as any of your former groups after the midterm.
- 2. ENRE (Explanation is not required for this exercise.)
- 3. Do not panic.

Date: <u>0</u> <u>6</u> / <u>1</u> <u>1</u> / 2019			
Name	ID	(last 3 c	ligits)

1. A PM signal is created from the message m(t) by $x_{PM}(t) = 3\cos(2\pi f_c t + k_p m(t))$. Suppose $f_c = 1$ and $k_p = \frac{\pi}{4} = 45^\circ$. For the message m(t) plotted blow. Plot the corresponding $x_{PM}(t)$.

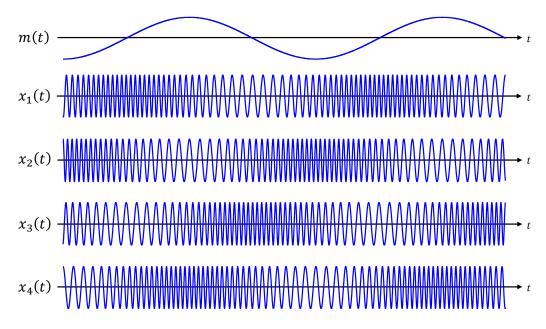


- Separate into groups of no more than three students each. The group cannot be the same as any of your former groups after the midterm.
- Write down all the steps that you have done to obtain your answers. You may not get full credit even when your answer is correct without showing how you get your answer.
- 3. Do not panic.

Date: <u>0</u> <u>8</u> / <u>1</u> <u>1</u> / 2019			
Name	ID	(last 3 d	igits)

1. Consider a signal $x(t) = 5\cos(8\pi t^3 - 12\pi t^2 + 26\pi t)$. Let f(t) be its instantaneous frequency. Find f(1).

2. [ENRPa] Consider five plots below. The top one is the baseband message signal m(t) that is used in the modulation to create a PM signal. Identify which plot is $x_{PM}(t)$.



 $x_{PM}(t)$:_____

- Separate into groups of no more than three students each. The group cannot be the same as any of your former groups after the midterm.
- Write down all the steps that you have done to obtain your answers. You may not get full credit even when your answer is correct without showing how you get your answer.
- 3. Do not panic.

Date: <u>1</u> <u>3</u> / <u>1</u> <u>1</u> / 2019				
Name	ID	ID (last 3 digits)		

1. Suppose we input $\cos(2\pi(f_0)t)$ into plotspect with sampling rate $f_s=88$ samples/sec. Find the "perceived" frequency (the freq. that plotspect sees) when

a)
$$f_0 = 99$$

b)
$$f_0 = 2019$$

2. Suppose we input $e^{j(2\pi(f_0)t)}$ into plotspect with sampling rate $f_s=88$ samples/sec. Find the "perceived" frequency (the freq. that plotspect sees) when

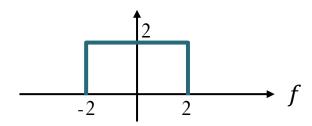
a)
$$f_0 = 99$$

b)
$$f_0 = 2019$$

- Separate into groups of no more than three students each. The group cannot be the same as any of your former groups after the midterm.
- Write down all the steps that you have done to obtain your answers. You may not get full credit even when your answer is correct without showing how you get your answer.
- 3. Do not panic.

Date: <u>1 5</u> / <u>1 1</u> / 2019			
Name	ID (last 3 digits)		

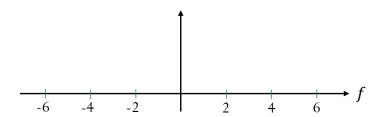
Consider a continuous-time signal g(t) whose **Fourier transform** is plotted below.



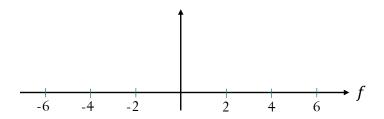
- (a) Find the Nyquist sampling rate for this signal.
- (b) The ideal sampled signal $g_{\delta}(t)$ is defined by $g_{\delta}(t) = \sum_{n=-\infty}^{\infty} g[n] \, \delta(t-nT_s)$ where T_s is the sampling interval.

Plot the **Fourier transform** of $g_{\delta}(t)$ from f = -6 to f = 6.

a. when $T_s = 1/5$



b. when $T_s = 1/3$



- 1. Separate into groups of no more than three students each.
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- 3. Do not panic.

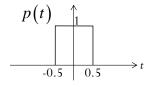
Date: <u>2</u> <u>0</u> / <u>1</u> <u>1</u> / 2019				
Name	ID	ID (last 3 digits)		

A communication system is using PAM to transmit a three-character message "Gr8". Each character is first converted to its 7-bit ASCII representation. Then, the 7 bits are further converted to the corresponding decimal number treating the bits as they are in two's complement representation. With such conversions, we see that the three characters correspond to three decimal numbers: -57, -14, 56. These numbers are denoted by m[0], m[1], and m[2], respectively. Assume m[n] = 0 for other values of n.

Recall that the PAM signal is constructed from the discrete-time message m[n] via

$$x_{PAM}(t) = \sum_{n=-\infty}^{\infty} m[n]p(t-nT_s).$$

(a) Plot $x_{PAM}(t)$ when the pulse below is used and $T_s = 1$.

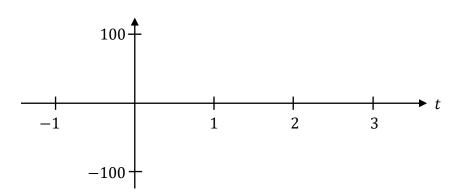


You may assume

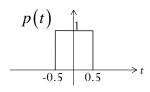
$$p(-0.5) = 1$$

 $\quad \text{and} \quad$

$$p(0.5) = 0$$
.



(b) Plot $x_{PAM}(t)$ when the pulse below is used and $T_s = 0.6$.



You may assume

$$p(-0.5) = 1$$

and

$$p(0.5) = 0$$
.

