

**Chapter 4, Solution 6.**

Due to linearity, from the first experiment,

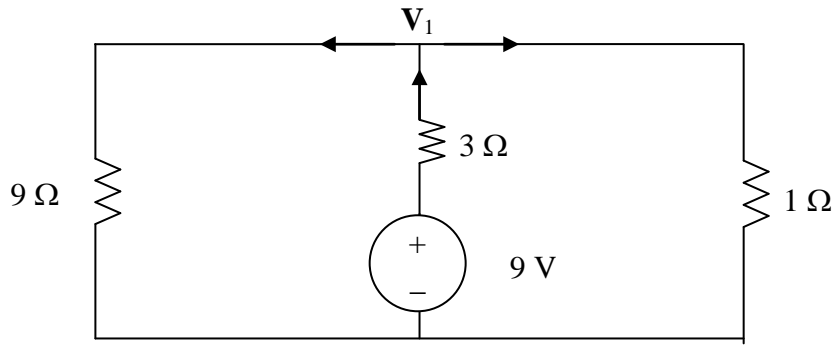
$$V_o = \frac{1}{3} V_s$$

Applying this to other experiments, we obtain:

Experiment	$V_s$	$V_o$
2	<u>48</u>	16 V
3	1 V	<u>0.333 V</u>
4	<u>-6 V</u>	-2V

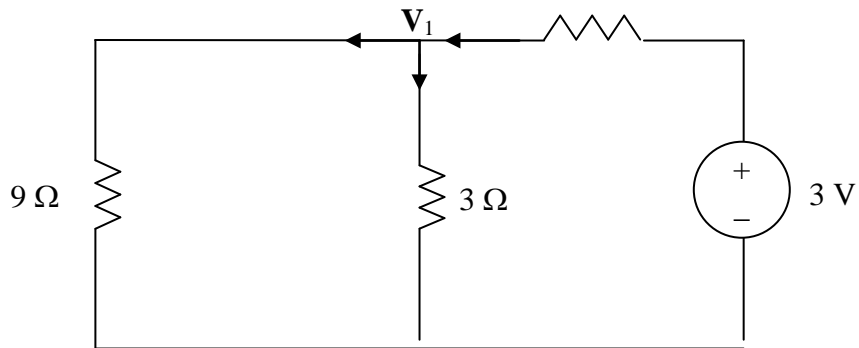
**Chapter 4, Solution 8.**

Let  $V_o = V_1 + V_2$ , where  $V_1$  and  $V_2$  are due to 9-V and 3-V sources respectively. To find  $V_1$ , consider the circuit below.



$$\frac{9 - V_1}{3} = \frac{V_1}{9} + \frac{V_1}{1} \quad \longrightarrow \quad V_1 = 27/13 = 2.0769$$

To find  $V_2$ , consider the circuit below.

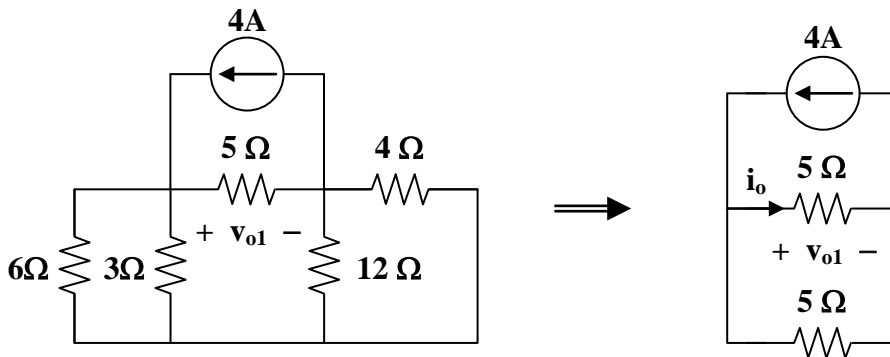


$$\frac{V_2}{9} + \frac{V_2}{3} = \frac{3 - V_2}{1} \quad \longrightarrow \quad V_2 = 27/13 = 2.0769$$

$$V_o = V_1 + V_2 = \underline{\underline{4.1538 \text{ V}}}$$

### Chapter 4, Solution 12.

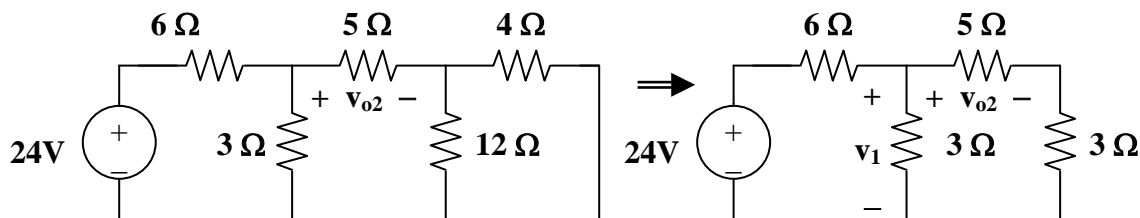
Let  $v_o = v_{o1} + v_{o2} + v_{o3}$ , where  $v_{o1}$ ,  $v_{o2}$ , and  $v_{o3}$  are due to the 4-A, 24-V, and 38-V sources respectively. For  $v_{o1}$ , consider the circuit below.



$$6 \parallel 3 = 2 \text{ ohms}, 4 \parallel 12 = 3 \text{ ohms. Hence,}$$

$$i_o = 4/2 = 2, v_{o1} = 5i_o = 10 \text{ V}$$

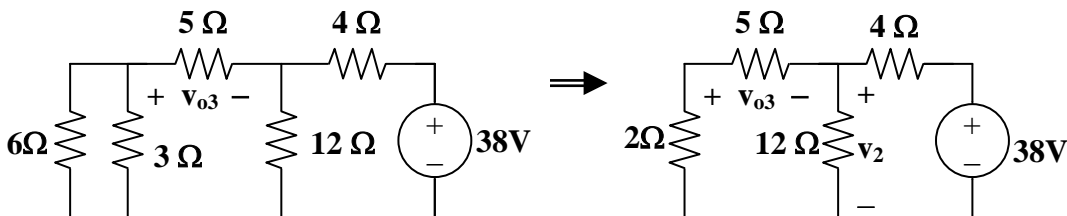
For  $v_{o2}$ , consider the circuit below.



$$3 \parallel 12 = 2.4/11, v_1 = [(24/11)/(6 + 2.4/11)]24 = 6.4$$

$$v_{o2} = (5/8)v_1 = (5/8)(6.4) = \underline{4 \text{ V}}$$

For  $v_{o3}$ , consider the circuit shown below.



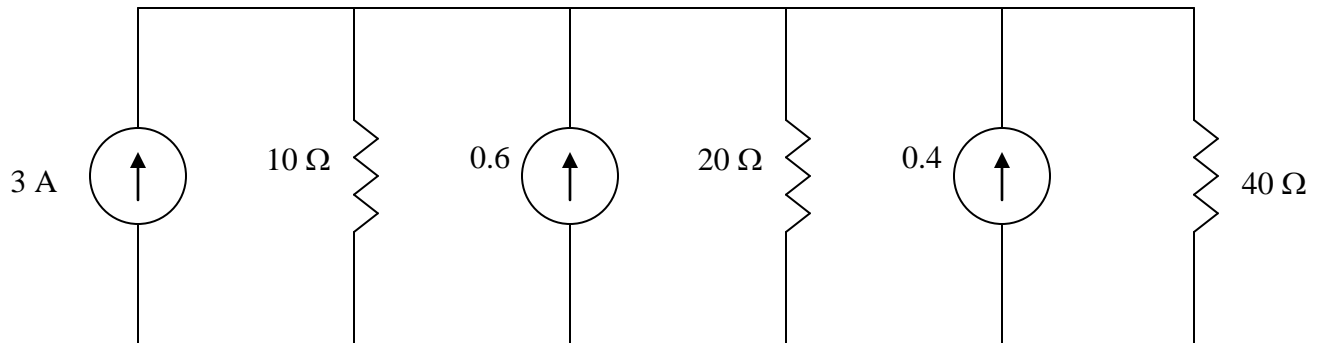
$$7 \parallel 12 = (84/19) \text{ ohms}, v_2 = [(38/19)/(4 + 84/19)]38 = 19.95$$

$$v_{o3} = (-5/7)v_2 = -14.25$$

$$v_o = 10 + 4 - 14.25 = \underline{-250 \text{ mV}}$$

### Chapter 4, Solution 20.

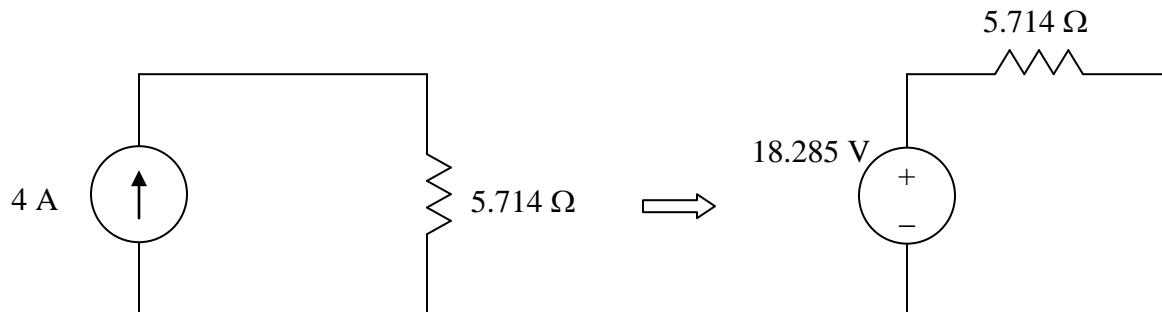
Convert the voltage sources to current sources and obtain the circuit shown below.



$$\frac{1}{R_{eq}} = \frac{1}{10} + \frac{1}{20} + \frac{1}{40} = 0.1 + 0.05 + 0.025 = 0.175 \quad \longrightarrow \quad R_{eq} = 5.714 \Omega$$

$$I_{eq} = 3 + 0.6 + 0.4 = 4$$

Thus, the circuit is reduced as shown below. Please note, we that this is merely an exercise in combining sources and resistors. The circuit we have is an equivalent circuit which has no real purpose other than to demonstrate source transformation. In a practical situation, this would need some kind of reference and a use to an external circuit to be of real value.



### Chapter 4, Solution 27.

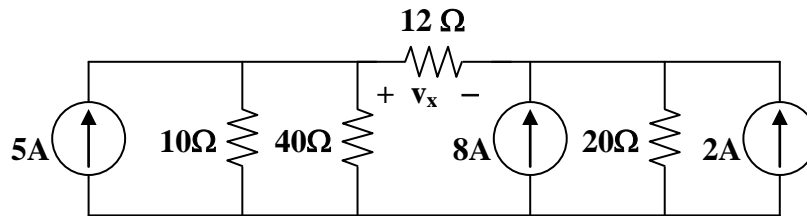
Transforming the voltage sources to current sources gives the circuit in Fig. (a).

$$10 \parallel 40 = 8 \text{ ohms}$$

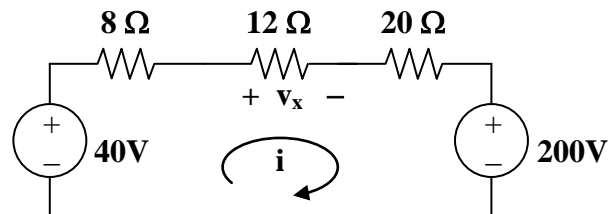
Transforming the current sources to voltage sources yields the circuit in Fig. (b). Applying KVL to the loop,

$$-40 + (8 + 12 + 20)i + 200 = 0 \text{ leads to } i = -4$$

$$v_x \quad 12i = \underline{-48 \text{ V}}$$



(a)



(b)

**Chapter 4, Solution 33.**

(a)  $R_{Th} = 10 \parallel 40 = 400/50 = \underline{\mathbf{8 \text{ ohms}}}$

$$V_{Th} = (40/(40 + 10))20 = \underline{\mathbf{16 \text{ V}}}$$

(b)  $R_{Th} = 30 \parallel 60 = 1800/90 = \underline{\mathbf{20 \text{ ohms}}}$

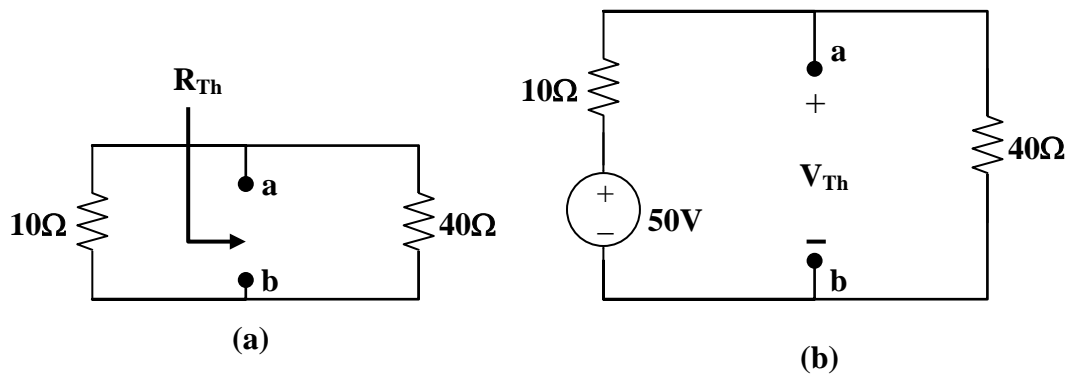
$$2 + (30 - v_1)/60 = v_1/30, \text{ and } v_1 = V_{Th}$$

$$120 + 30 - v_1 = 2v_1, \text{ or } v_1 = 50 \text{ V}$$

$$V_{Th} = \underline{\mathbf{50 \text{ V}}}$$

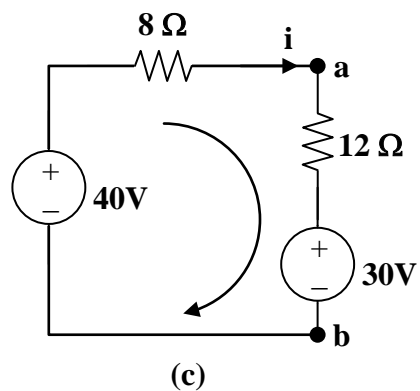
### Chapter 4, Solution 36.

Remove the 30-V voltage source and the 20-ohm resistor.



From Fig. (a),  $R_{Th} = 10 \parallel 40 = 8 \text{ ohms}$

From Fig. (b),  $V_{Th} = (40/(10 + 40))50 = 40\text{V}$



The equivalent circuit of the original circuit is shown in Fig. (c). Applying KVL,

$$30 - 40 + (8 + 12)i = 0, \text{ which leads to } i = \underline{\underline{500\text{mA}}}$$